

REFERENCES ON CONVERGENCE GROUPS RELATED TO THE COURSE

PETER HAÏSSINSKY

This list of references is supposed to cover the material of the course. It is not exhaustive, so I apologize for those that are missing.

CONVERGENCE GROUPS: GENERAL PROPERTIES

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FLOYD BOUNDARIES

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CONVERGENCE GROUPS VS HYPERBOLICITY

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